MCA-semiV (CBGs).

System Modeling and Simulation

Q.P. Code: 17807

(3 Hours)

[Total Marks: 80

N.B.:(1) Question No. 1 is compulsory.

- (2) Attempt any four out of remaining six questions.
- (3) Make assumptions if required and justify it.
- 1. (a) Explain in detail simulation application in anyone of the following system:

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- (i) Patient flow analysis in a hospital.
- (ii) Book counter analysis in a library.
- (iii) Goods flow analysis in a grocery shop.
- (b) Use the mixed congruential method to generate a sequence of five two digit 10 random numbers with X0 = 27, a=17, c=43, and m=100. Also use the Kolmogorov-Smirnov test with a = 0.05 to determine if the hypothesis that the numbers are uniformally distributed on the interval [0,1] can be rejected.
- 2. (a) The breaking strengths of mild steel bar is normally distributed. A sample of 18 8 observations is collected. Determine the maximum likelihood estimator.

345.15	481.32	614.14	732.75	545.78	464.21	809.94
792.07	662.35	517.55	669.88	441.59	556.79	787.63
693.25	522.72	381.28	489.46			

(b) Explain the steps in simulation study.

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- 3. (a) The number of customer arriving at coffee shop between 9:00am to 9:00pm is poisson distributed with mean 4. Generate Poisson variate using acceptance rejection technique. Use the following five random numbers 0.5389, 0.0532, 0.3492, 0.2373, 0.0123 in sequence.
 - (b) Derive the Conservation Equation in the context of measures of performance of 7 Queucing models.
- 4. (a) An NGO collected the records of monthly number of job related accidental injuries at an underground coal mine for study. The records for the past 100 months are as follows:

Accidential 0 1 2 3 4 5 6 injuries per month
Frequency 35 40 13 6 4 1 1

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Use the Chisquare test to test hypothesis that the underlying distribution is poisson and $\psi_{0.05.2}^2 = 5.99$

- (b) Explain the types of simulation with respect to output analysis.
- 5. (a) Consider the sequence of 40 numbers. Test whether 5th, 10th, 15th number in the sequence are autocorrelated where $\alpha = 0.05$. ($Z_{0.25} = 1.96$)

0.97 0.40 0.84 0.02 0.82 0.29 0.69 0.51 0.63 0.15

0.17 0.71 0.65 0.26 0.51 0.67 0.38 0.44 0.75 0.59

0.09 0.49 0.84 0.81 0.60 0.43 0.53 0.72 0.33 0.66

0.96 0.27 0.41 0.54 0.18 0.26 0.87 0.11 0.20 0.78

- (b) What are the measures of performance and their estimation for output data.
- 6. (a) Suppose that the life of a computer IC is exponentially distributed with mean 4. Some Generate two life times from this distribution where Ri = 0.762 and R2 = 0.389.
 - (b) What are the characteristics of a queue. Mention the measures of performance of queuing system with proper notations.
- 7. (a) Write short notes on

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i) Verification of Simulation Models.

(ii) Properties of Random Numbers.

(b) Derive the inverse transformation method for Weibull distribution.

CG-Con. 9965-14.