Paper / Subject Code: 32224 / Random Signal Analysis

DATE: 30/11/2022

Max. Marks: 80

QP CODE: 10011874

Time: 3 hours

1T01035 - T.E.(Electronics and Telecommunication)(SEM-V)(Choice Base Credit Grading System) (R-20-21) (C Scheme) / 32224 - Random Signal Analys N.B.: 1) Question no. 1 is compulsory 2) Answer any 3 questions from remaining five questions Q1 Answer any four questions Explain Bayes theorem and total probability theorem. Define joint distribution function. What are its properties? 05 05 Find the Binomial distribution if the mean is 4 and variance is 3. Find the characteristic function of a random variable X with uniform distribution 05 e. List the properties of autocorrelation function and prove any two properties. The joint pdf of R.V. X & Y is given as Q2 $f_{XY}(x,y) = c e^{-x} e^{-y}$, $0 < y < x < \infty$ = 0, elsewhere Find i. ii. f(x) & f(y)iii. f(x/y) & f(y/x)A biased coin tossed till a head appears for the first time. What is the probability that the 06 numbered required tosses are odd? Show that $p(AUB)=P(A)+P(B)-P(A \cap B)$ 04 c. Q3 If X, Y are two independent exponential random variables with common parameter λ , find 10 the pdf of (U, V) where U = X+Y and V = X-Y. Also find f(u) and f(v). 10 Find mean and variance of Gaussian distribution function with parameters N (0, 1). Explain the central limit theorem 05 05 Define SSS process and WSS process Random Process is given as X (t) = $\sin (wt+Y)$ Where Y is uniformly distributed over $(0,2\pi)$ 10 and w is a constant. Verify that X (t) is WSS or not. The joint probability distribution of X and Y is given by 10 $P(X=x, Y=y) = \frac{x+3y}{24}$ where x=1, 2 and y=1, 2. Find Marginal distributions of x and y ii. $P(X \le 2, Y \le 1)$ iii. $P(X \leq 1)$ Two dimensional random variables (X, Y) has the following distribution 10 $f_{XY}(x,y) = 2-x-y$, $0 \le x \le 1$, $0 \le y \le 1$ = 0, elsewhere Find E(XY) i. ii. Cov (X, Y) Prove that for a linear time invariant system, if the input is a WSS process, then output is 10 also WSS Process. 10 From the following data, obtain the two regression equations. Sales 97 108 121 67 73 111 69 97 70 91 39 61 80 47 Purchases
