SEMILICONTROL SYST, DESIGN



QP Code: 3340

(3 Hours)

[Total Marks: 80

N. B.: (1) Question No. 1 is compulsory.

- (2) Solve any three questions from remaining five questions.
- (3) Assume suitable data if needed.
- 1. Attempt the following:

- (a) State the advantages of modern control theory over conventional
- (b) Obtain the transfer function of the system.

$$\dot{x}_1 = -2x_1 - x_2 + u$$

$$\dot{x}_2 = -3x_1 - x_2 + u$$

$$y = x_1$$

- (c) Compare lead / lag / lag-lead compensator. Also draw poles & zeros plot of all.
- (d) What is caley Hamilton theorem? Explain the steps to solve for STM using the Caley Hamilton theorem.
- (a) Derive the transfer function of lag-lead compensator.

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(b) Obtain diagonalized matrix (M) for siven system matrix :

$$A = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ -1 & -3 & -3 \end{bmatrix}$$

(a) For the unity feedback control system with PID controller is used to 10 3. control the system. The plant transfer function is

$$G(s) = \frac{r}{s(s+1)(s+5)}$$

Determine PID controller.

(b) An open loop control system with:

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$$G(s) = \frac{K}{s^2}$$

The system is compensated to meet the following specifications using lag compensator

$$K_V = 5/\text{sec}$$

TURN OVER

JP-Con.: 11314-15.

(a) Determine the state transition matrix for the system:

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$$A = \begin{bmatrix} -2 & 1 \\ -2 & -3 \end{bmatrix}$$
 also find the response if the initial condition is

2

$$x(0) = \begin{bmatrix} 1 \\ 2 \end{bmatrix}$$

(b) Explain the design steps of lag compensator using Bode plot

(a) Design ar observer for the plan 5.

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$$G(s) = \frac{10(s+2)}{s(s+4)}$$

Desired observer poles are at -5, -5

(b) Check the following systems are completely controllable & observable: 10

(i)
$$\dot{\mathbf{x}} = \begin{bmatrix} 0 & 1 \\ -2 & -3 \end{bmatrix} \times + \begin{bmatrix} 0 \\ 1 \end{bmatrix} \mathbf{u}$$

 $\mathbf{y} = \begin{bmatrix} 1 & 0 \end{bmatrix} \mathbf{x}$

$$y = [1 \quad 0] x$$

(ii)
$$\dot{\mathbf{x}} = \begin{bmatrix} -2 & 1 \\ 1 & -2 \end{bmatrix} \times + \begin{bmatrix} 1 \\ 0 \end{bmatrix} \mathbf{u}$$

$$\mathbf{y} = \begin{bmatrix} 1 & -1 \end{bmatrix} \mathbf{x}$$

(a) Consider a plant transfer function

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$$G(s) = \frac{10}{(s+1)(s+5)}$$

Design state feedback gain matrix to meet the following specifications:

$$\xi = 0.5$$

 $w_n = 5 \text{ rad/sec}$

(b) For a unity feedback system

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$$G(s) = \frac{K}{s(s+1)}$$

Design a suitable compensator with the following specifications: $K_v = 12/\text{sec}$

Phage margin = 40°