(3 Hours)

N.B.: (1) Q.1 is compulsory.

80 Marks

| | | (2) Attempt any three out of remaining five.(3) Figures to the right indicate full marks. | |
|------|------------|--|------|
| Q | 1A) | Explain in detail Simulation application in any one of the following system: (i) Vehicle Flow analysis at a Petrol Pump (ii) Customer flow analysis at an Airport. (iii) Book Counter Analysis in a Library | [10] |
| | B) | Suppose that cars arriving at a toll booth follow a Poisson process with a mean interarrival time of 30 seconds. What is the probability that up to one minute will elapse until two cars have arrived? | [05] |
| | C) | A recent survey indicated that 82% of single women aged 37 years old will NEVER be married in their lifetime. Using binomial distribution, find the probability that two or three women in a sample of twenty will indeed get married. | [05] |
| Q | 2 A) | The rail shuttle cars at Atlanta airport have a dual electrical braking system. A rail car switches to standby system automatically if the first system fails. If both systems fail, there will be a crash! Assume that life of a single electrical braking system is exponentially distributed with a mean of 3500 operating hours. If the systems are inspected every 5000 operating hours, what is the probability that a rail car will not crash before that time? | [10] |
| | B) | What are the characteristics of a queue? Illustrate the measures of performance of queuing system with proper notations. | [10] |
| Q | 3A) | Draw the flowchart and explain the steps in simulation study. | [10] |
| | B) | Explain the inverse transform method to generate random variates for exponential distribution. Use it to generate four random variates for exponential distribution with $\lambda = 3$. Use random numbers: 0.4146, 0.9950, 0.7004, 0.2123 | [10] |
| Q | 4A) | Explain the types of simulation with respect to output analysis. | [10] |
| 3000 | B) | The time it takes for an aircraft to land and clear the runway at a major international airport has a Weibull distribution with $v = 2.43$ minutes, $\beta = 0$ and $\alpha = 0.08$ minute. Find the probability that an incoming airplane will take more than 2.5 minutes to land and clear the runway. | [10] |
| Q | 5A) | Explain in detail 'time series' input models. | [10] |
| | B) | The sequence of numbers 0.31, 0.94, 0.88, 0.85, 0.66, 0.78, and 0.56has been generated. Use the Kolmogorov-Smirnov test with ≈ 0.05 and corresponding $D^{\alpha} = 0.486$ to learn whether the hypothesis that the numbers are uniformly distributed on the interval [0, 1] can be rejected. | [10] |
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Q 6A) Explain the Acceptance Rejection method for random variate generation. Use the acceptance-rejection technique to generate three Poisson variates with mean $\alpha = 0.35$. Use the following random numbers: 0.1402, 0.9473, 0.6386, 0.8726, 0.9217, 0.8868

[10]

B) Write short notes on:

[10]

- a) Verification and Validation of Simulation Models
- b) Goodness of fit test for input analysis



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